

SEMINÁRIO DO GRUPO DE FÍSICA MATEMÁTICA

Dia 14 de Junho (quarta-feira), às 11h00, sala 6.2.33

On the long-time behaviour of a semilinear stochastic partial differential equation

Marco Dozzi

(Inst. Elie Cartan - Univ. de Lorraine - Nancy)

Abstract: We consider stochastic equations of the prototype

$$du(t, x) = (\Delta u(t, x) + \gamma u(t, x) + u(t, x)^{1+\beta})dt + \kappa u(t, x)dB_t$$

on a smooth domain $D \subset \mathbb{R}^d$ with Dirichlet boundary condition and non-negative initial condition, where $\beta > 0$, γ and κ are constants and $(B_t, t \geq 0)$ is a real-valued brownian motion or fractional brownian motion with Hurst parameter $H > \frac{1}{2}$. By means of an associated random partial differential equation we estimate the blowup time of the solution u . In the case of brownian motion we estimate the probability for the existence of a non-trivial positive global solution. This is joint work with J.-A. Lopez-Mimbela and E. Kolkovska at CIMAT (Guanajuato, Mexico).